## Problem C <br> Chess Sudoku

In her free time, Chikapu likes playing Sudoku - a logic puzzle played on a $9 \times 9$ grid divided into 9 regions of size $3 \times 3$ (see figure C.1). In each cell, the player must write a digit between 1 and 9 (inclusive) such that each row, each column, and each of the nine $3 \times 3$ regions must contain all of the digits from 1 to 9 .

| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 8 | 4 | 6 |  |  |  |  |  |  |
| 9 | 5 | 7 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |  |  |
| 7 |  |  |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |  |  |

Figure C.1: A partially filled Sudoku board
Chikapu also likes chess. She designed a new variant of the traditional Sudoku puzzle, which she has aptly named Chess Sudoku. In addition to the regular Sudoku rules, a valid Chess Sudoku board must satisfy the following requirements:

- If a chess knight can move from cell $\left(x_{u}, y_{u}\right)$ to cell $\left(x_{v}, y_{v}\right)$ in one step, the digits in these two cells must differ.
- Similarly, if a chess king can move from cell $\left(x_{u}, y_{u}\right)$ to cell $\left(x_{v}, y_{v}\right)$ in one step, the digits in these two cells must also differ.

Chikapu has a Chess Sudoku board, where she has written some digits on it. Your task is to fill in the empty cells to construct a valid Chess Sudoku board.

Below are some invalid Chess Sudoku boards:


Figure C.2: The cells $(1,1)$ and $(3,3)$ belong to the same $3 \times 3$ region, but the numbers in the 2 cells are the same.

Figure C.3: A chess knight can move from cell $(1,4)$ to cell $(2,2)$, but the numbers in these 2 cells are the same.


Figure C.4: A chess king can move from cell $(3,3)$ to cell $(4,4)$, but the numbers in these 2 cells are the same.

As a reminder, let $(i, j)$ be the cell on the $i$-th row and the $j$-th column,

- a chess knight can move from cell $\left(x_{u}, y_{u}\right)$ to cell $\left(x_{v}, y_{v}\right)$ in one step iff $\left(x_{u}-x_{v}\right)^{2}+$ $\left(y_{u}-y_{v}\right)^{2}=5$,
- a chess king can move from cell $\left(x_{u}, y_{u}\right)$ to cell $\left(x_{v}, y_{v}\right)$ in one step iff $\max \left(\left(x_{u}-\right.\right.$ $\left.\left.x_{v}\right)^{2},\left(y_{u}-y_{v}\right)^{2}\right)=1$.


## Input

The input consists of 9 lines, each contains exactly 9 digits, representing the given Chess Sudoku board. Empty cells are represented by 0s. There are at most 2 non-zero digits, which represent prefilled cells.

## Output

If it is not possible to create a valid Chess Sudoku board with these prefilled cells, print a single line: NO SOLUTION.

Otherwise, print exactly 9 lines, each with exactly 9 digits, representing a valid Chess Sudoku board. If there are multiple solutions, you can output any of them.

## Sample explanation

In the first sample, two prefilled cells are in the same column, but they are both filled with digit 1. This violates the rules of a valid Sudoku board. Hence it is not possible to construct a valid Chess Sudoku board.

## Sample Input 1 <br> Sample Output 1

| 100000000 | NO SOLUTION |
| :--- | :--- |
| 100000000 |  |
| 000000000 |  |
| 000000000 |  |
| 000000000 |  |
| 000000000 |  |
| 000000000 |  |
| 000000000 |  |

## Sample Input 2 Sample Output 2

| 000000000 | NO SOLUTION |
| :--- | :--- |
| 000000000 |  |
| 000000000 |  |
| 000600000 |  |
| 000000000 |  |
| 000006000 |  |
| 000000000 |  |
| 000000000 |  |
| 000000000 |  |

Sample Input 3
Sample Output 3

```
000000000
000000000
000000000
000000000
000000000
000000000
000000700
000007000
000000000
```

NO SOLUTION

