

## Problem J. First strip



Ballon:  
Time limit: 1 seconds  
Memory limit: 512 megabytes

In order to win **Yen Nhi's** heart, **Quang Tri** accepts a brain-tricky challenge from her. **Yen Nhi** draws on the floor a strip of  $n$  consecutive squares (called the first strip). The squares are numbered 1 to  $n$  from left to right. For each square, **Quang Tri** has to choose either the color red or blue to paint it. Note that all squares must be colored in a certain color, i.e, **Quang Tri** cannot leave any square blank.

**Yen Nhi** has  $n$  pens with red ink and  $n$  other pens with blue ink to support **Quang Tri's** coloring process. Each pen is filled with enough ink to fill exactly a single square with the corresponding color. **Yen Nhi** stipulates that **Quang Tri** initially has 0 points, and if he wants to get  $i$  red-ink pens,  $a_i$  points will be deducted from his score. Similarly, **Quang Tri's** score will have  $b_j$  points deducted if he wants to take  $j$  blue-ink pens from **Yen Nhi**. Note that  $a_0 = b_0 = 0$ .

Also, **Yen Nhi** gives **Quang Tri** a special rule to get more points. She has another strip of squares of length  $m$  (called the second strip) and all the squares are already colored either red or blue. For each contiguous segment of length  $m$  in the first strip whose coloring coincides with the second strip, **Quang Tri** will receive  $D$  points. **Tri** wants to find a way to color the first strip to maximize his final score (so he can make a good impression on **Yen Nhi**). Let's help **Quang Tri** compute the optimal solution!

Note that a segment's coloring is considered "coincided" with another segment's coloring if there does not exist a pair of squares with the same index (from left to right) in both segments but have different color.

### Input

The first line contains three integers  $n, m$ , and  $D$ , ( $1 \leq n \leq 2000, 1 \leq m \leq \min(n, 10), 1 \leq D \leq 10^6$ ).  $n$  and  $m$  is the length of the first and second strip, respectively.  $D$  is the bonus amount **Quang Tri** can obtain for each contiguous segment of the first strip whose coloring coincides with the second strip.

The second line contains  $n$  integers  $a_1, a_2, \dots, a_n$ , ( $1 \leq a_i \leq 10^9$ ).

The third line contains  $n$  integers  $b_1, b_2, \dots, b_n$ , ( $1 \leq b_i \leq 10^9$ ).

The fourth line contains a string of length  $m$  whose each character is either 'R' or 'B' representing that the corresponding square of the second strip is colored with the color red or blue.

### Output

Print two lines, the first line contains the maximum final score that **Quang Tri** can obtain, and the second line contains a string of length  $n$  representing his coloring solution:  $i$ -th character is 'R' if the  $i$ -th square in the first strip is colored with red, and is 'B' otherwise. If there are multiple valid answers, you can output any of them.

## Examples

standard input	standard output
6 2 1 1 2 3 4 5 6 6 5 4 3 2 1 RR	-1 RRRRRR
6 2 4 1 2 3 4 5 6 6 5 5 3 2 1 RB	4 RBRBRB
6 2 3 1 2 6 4 5 6 6 5 4 3 2 1 RB	1 RBRBBB

## Note

In example 1, two possible ways that **Quang Tri** can color the first strip to achieve  $-1$  points:



**Quang Tri** uses 6 red-ink pens. There are 5 contiguous segments whose coloring coincides with the second strip.

$$\text{Final score} = -a_6 - 0 + 5 * D = -6 + 5 = -1.$$



**Quang Tri** uses 6 blue-ink pens. There are 0 contiguous segments whose coloring coincides with the second strip.

$$\text{Final score} = -0 - b(6) + 0 * D = -1.$$