## J. DOTS

Mika loves doodling in her notebook. Today, she's drawn N dots and connected them with $\mathrm{N}-1$ lines. These lines are drawn in a such a way that she can follow a path from one dot to another without having to lift her pencil.

The dots are numbered from 0 to $\mathrm{N}-1$. Mika wants to follow a path from dot 0 to some other dot without lifting her pencil. The path can contain a line more than once.

To make things challenging, she assigns $N$ integers $E_{0}, E_{1}, E_{2}, \ldots E_{(N-1)}$ to each dot. For any dot $i$, she must ensure that her path does not leave that dot more than $\mathrm{E}_{\mathrm{i}}$ times.

For each integer i from 0 to $\mathrm{N}-1$, determine the length of the longest path Mika can follow to get from dot 0 to dot i that satisfies the conditions above.

## INPUT

The first line contains an integer $\mathrm{N}-$ the number of dots $(1 \leq \mathrm{N} \leq 50000)$.
The second line contains $N$ integers $E_{0}, E_{1}, E_{2}, \ldots, E_{(n-1)}\left(1 \leq E_{i} \leq 40000\right)$, where $E_{i}$ is the maximum number of times the path can leave dot $i$. It is guaranteed that $E_{i}$ is greater than or equal to the number of lines that come out of dot i .

The next N-1 lines contain two integers $U_{i}$ and $V_{i}\left(0 \leq U_{i}, V_{i} \leq N-1\right)$, indicating that there is a line between dots Ui and Vi.

## OUTPUT

For each integer i from 0 to $\mathrm{N}-1$, print one line containing the length of the longest path that ends at dot i .

| Sample Input | Sample Output |
| :--- | :--- |
| 3 | 8 |
| 262 | 7 |
| 01 | 8 |
| 12 |  |

