

# Problem M

## Millionplex

We are quite familiar with some of the names of large numbers like: million ( $10^6$ ), billion ( $10^9$ ) or trillion ( $10^{12}$ ). But there are a lot more names which are unfamiliar, such as: quadrillion ( $10^{15}$ ), quintillion ( $10^{18}$ ), sextillion ( $10^{21}$ ), septillion ( $10^{24}$ ), octillion ( $10^{27}$ ), nonillion ( $10^{30}$ ), decillion ( $10^{33}$ ), undecillion ( $10^{36}$ ), duodecillion ( $10^{39}$ ), tredecillion ( $10^{42}$ ), quattuordecillion ( $10^{45}$ ), quindecillion ( $10^{48}$ ), sexdecillion ( $10^{51}$ ), septendecillion ( $10^{54}$ ), octodecillion ( $10^{57}$ ), novemdecillion ( $10^{60}$ ), vigintillion ( $10^{63}$ ), centillion ( $10^{303}$ ), etc.

Learning more about larger numbers, John Horton Conway and Richard K. Guy have suggested that *N-plex* can be used as a name for  $10^N$ . Thus, millionplex is a number which starts with a digit 1 followed by a million 0s.

Hieu is fascinated by large numbers and researching about them. His work involves understanding positive integers up to a millionplex. Today, Hieu is calculating a function  $f(n)$  which equals to the sum of squares of all its “subnumbers”. A “subnumber” of a positive integer  $n$  is a number formed by a *contiguous* sequence of digits of  $n$ . In this problem, we only consider decimal representation of numbers.

For example:  $f(2207) = 2207^2 + 220^2 + 207^2 + 22^2 + 20^2 + 07^2 + 2^2 + 2^2 + 0^2 + 7^2 = 4963088$ .

Given a positive integer up to a millionplex, your task is to calculate  $f(n)$ . Since this number could be rather large, you should calculate it modulo  $10^9 + 7$ .

### Input

The input contains a single integer  $n$  ( $1 \leq n \leq 10^{10^6}$ ).

### Output

Print a single integer — the value  $f(n)$  modulo  $10^9 + 7$ .

#### Sample Input 1

#### Sample Output 1

2207	4963088
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